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27 2002 184- « ,

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24.07.2007 221- «

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24.11.2008 412 « ,

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18.05.2012 289 « ,

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17.08.2012 518 «

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01.09.2010 403 «

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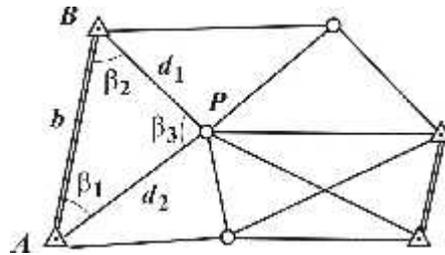
29.11.2010 583 «

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30.09.2011 531 «
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23.11.2011 693 «
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10.02.2012 52 «
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17.08.2012 518 «

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- . . . , 2015.
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, 2007.
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, 1996; . . . — :
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. . . — . . . : . . . , 2006;
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, 2008;
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. . . — . . . : . . . , 2012;

P A B . :
 $d_1 = b \cdot \sin \beta_1 / \sin \beta_3$; $d_2 = b \cdot \sin \beta_2 / \sin \beta_3$.



. 1.

b , (. 1) ,
),

$\alpha_{AP} = \alpha_{AB} + \beta_1$; $\alpha_{BP} = \alpha_{AB} \pm 180^\circ - \beta_2$.

$x_P = x_A + d_2 \cos \alpha_{AP}$; $y_P = y_A + d_2 \sin \alpha_{AP}$.

5.2

$BP = d_1$ $P = d_2$, b ,

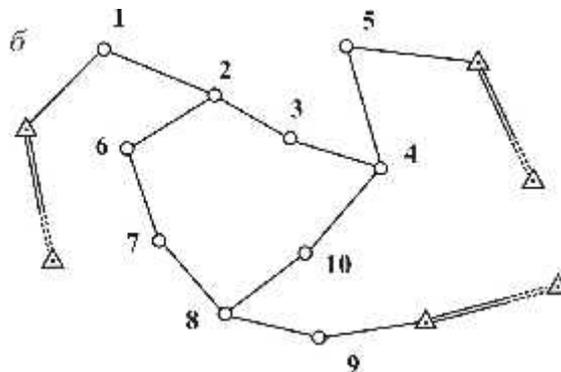
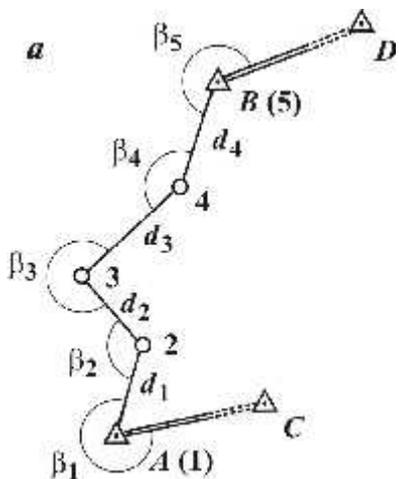
$\cos \beta_1 = (b^2 + d_2^2 - d_1^2) / 2bd_2$;

$\cos \beta_2 = (b^2 + d_1^2 - d_2^2) / 2bd_1$;

$\cos \beta_3 = (d_1^2 + d_2^2 - b^2) / 2d_1d_2$.

, -

5.3



.2.

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; CA BD -

; 1, 2, 3, 4, 5 - () ; β_i -

; d_i - ($i = 1, 2, \dots$).

.2

4, 8,

5.4

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() .

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(.3 a,); -

(.3 ,);

(.3) .

(.3 a,

,), (.3), - (.3) .

3

x_A, y_A, x_B, y_B . (.3)

$\beta_1 \beta_2$.

A B

AP BP:

$$\alpha_{AP} = \alpha_{AB} - \beta_1; \quad \alpha_{BP} = \alpha_{BA} + \beta_2.$$

:

$$\operatorname{tg} \alpha_{AP} = \frac{y_P - y_A}{x_P - x_A}; \quad \operatorname{tg} \alpha_{BP} = \frac{y_P - y_B}{x_P - x_B}.$$

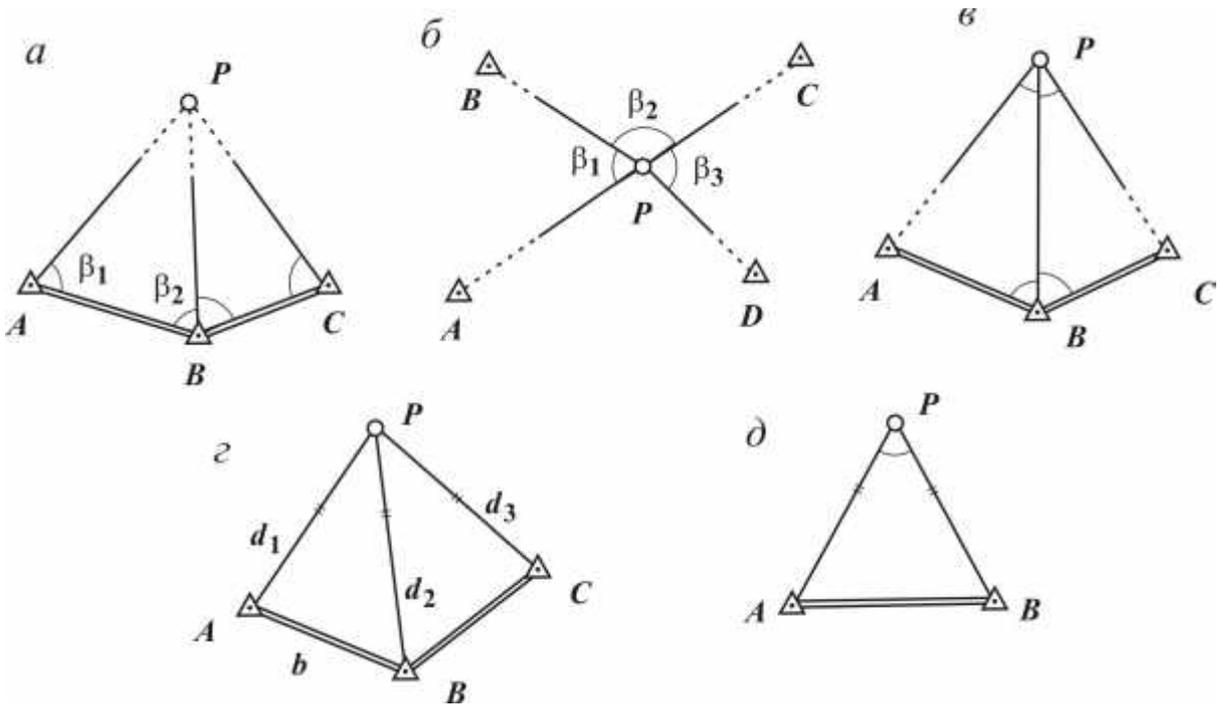
$$P \quad y_P, \quad (\quad) :$$

$$x_P = \frac{x_A \operatorname{tgr}_{AP} - x_B \operatorname{tgr}_{BP} + y_B - y_A}{\operatorname{tgr}_{AP} - \operatorname{tgr}_{BP}};$$

$$y_P = y_A + (x_P - x_A) \operatorname{tg} \alpha_{AP}.$$

$$y_P \quad :$$

$$y_P = y_B + (x_P - x_B) \operatorname{tg} \alpha_{BP}.$$



.3.

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 α_{AP}
 α_{BP}
 90°
 $270^\circ,$

$$y_P = \frac{y_A \operatorname{ctg} \alpha_{AP} - y_B \operatorname{ctg} \alpha_{BP} + x_B - x_A}{\operatorname{ctg} \alpha_{AP} - \operatorname{ctg} \alpha_{BP}};$$

$$x_P = x_A + (y_P - y_A) \operatorname{ctg} \alpha_{AP} = x_B + (y_P - y_B) \operatorname{ctg} \alpha_{BP}.$$

BC.

$$x_P = \frac{x_A \operatorname{ctg} \beta_2 + x_B \operatorname{ctg} \beta_1 + y_B - y_A}{\operatorname{ctg} \beta_1 + \operatorname{ctg} \beta_2}; \quad y_P = \frac{y_A \operatorname{ctg} \beta_2 + y_B \operatorname{ctg} \beta_1 + x_A - x_B}{\operatorname{ctg} \beta_1 + \operatorname{ctg} \beta_2} \quad (3)$$

$$\operatorname{tg} \beta_{BP} = \frac{y_A \operatorname{ctg} \beta_1 - y_B (\operatorname{ctg} \beta_1 + \operatorname{ctg} \beta_2) + y_C \operatorname{ctg} \beta_2 + x_A - x_C}{x_A \operatorname{ctg} \beta_1 - x_B (\operatorname{ctg} \beta_1 + \operatorname{ctg} \beta_2) + x_C \operatorname{ctg} \beta_2 - y_A + y_C}; \quad \alpha_{AP} = \alpha_{BP} - \beta_1$$

$d_1, d_2.$

$$\alpha = \alpha - \angle A,$$

$$x_P = x_A + d_1 \cos \alpha; \quad y_P = y_A + d_1 \sin \alpha \quad (3)$$

(4);

P

l, 2

P

P

1.
P

$l, 2$

P.

2.

3.

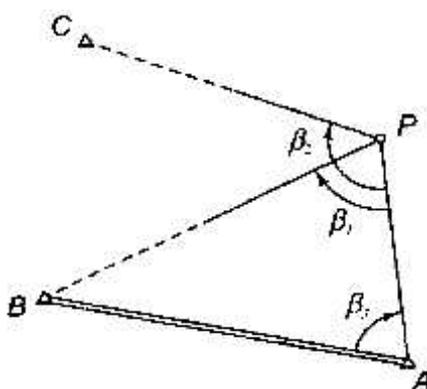
$l, 2, 3$

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$$= + 3$$

$$= + 1$$

$$= + 2$$



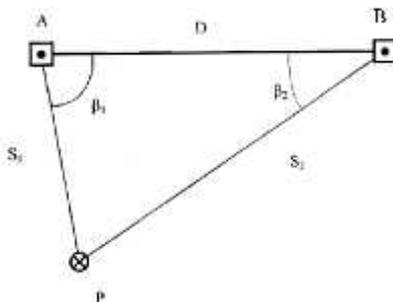
.4.

4.

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(, ,).

5.
P

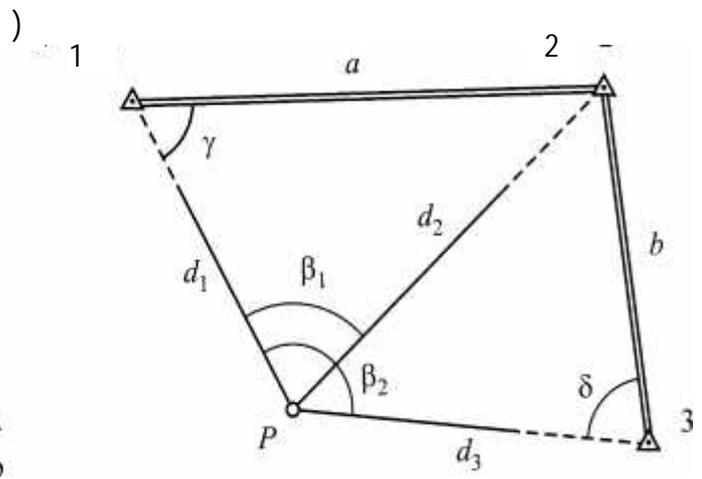
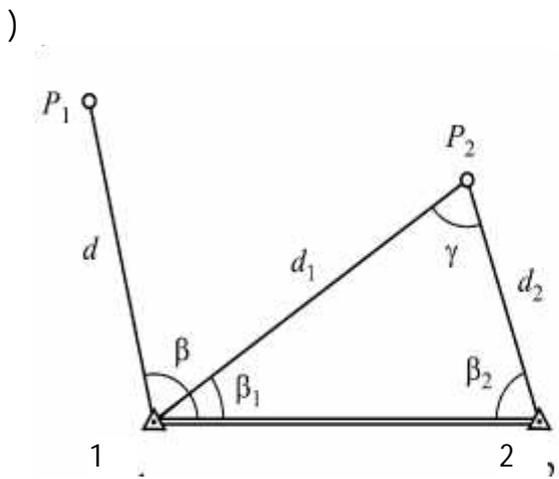


.5.

(.6):

$$m_P = \frac{m}{\sin \beta} \sqrt{d_1^2 + d_2^2},$$

m_β — , $\rho = 206265''$ —



.6.

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; —

(.6):

$$m_{P_1} = \sqrt{m_d^2 + m^2 d^2 / 2},$$

m_β —

;

m_d —

d;

$\rho = 206265''$ —

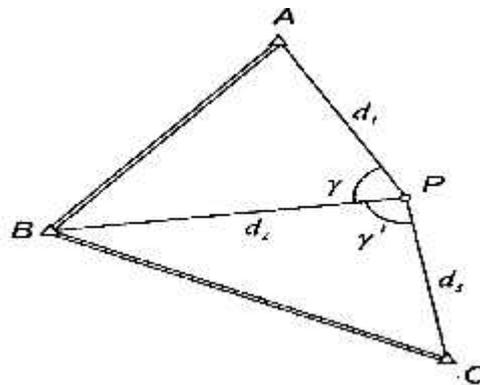
(.6):

$$m_p = \frac{m}{\sin(\gamma)} \sqrt{\left(\frac{d_1 \cdot d_2}{a}\right)^2 + \left(\frac{d_2 \cdot d_3}{b}\right)^2}$$

m_p –

m_d –

$\rho = 206265''$ –



.7.

$$m_1 = \frac{\sqrt{m_{d1}^2 + m_{d2}^2}}{\sin \gamma} ; m_2 = \frac{\sqrt{m_{d2}^2 + m_{d3}^2}}{\sin \gamma'}$$

m_d –

d.

$$m_P = \sqrt{m_1^2 + m_2^2}$$

6

R_1, R_2, R_3

(. 8),

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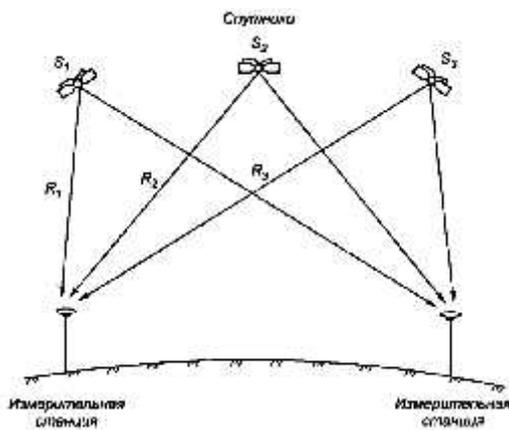
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4

GPS

WGS-84 (World Geodetic System, 1984 .),
-90 (. , 1990 .).

GPS,
WGS-84.



. 8.

GPS

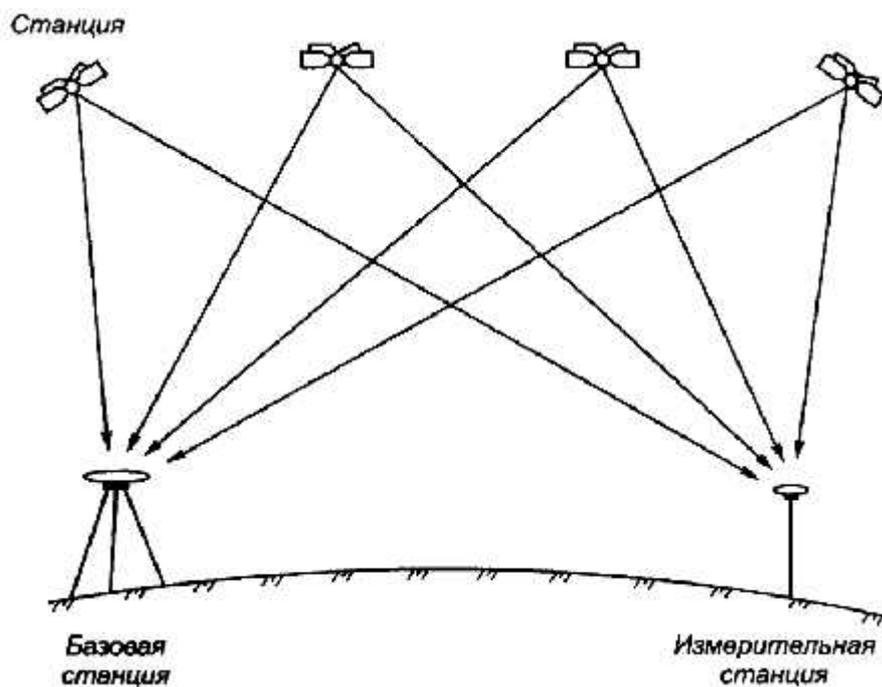
L1 L2.

L1,

« » « »).

9). , (P_1 , (.

1 2 (10)



.9.

L1) L2 (— , , . , , - . , . , . (5 - 10) + 1 - 2 / , - 2 - 3 .) (1 , . « » 15...20 , - 10 . — . 10 . 1 , , () . () : ; « » , ()

» («)

GPS-
Kinematics).

- RTK (Real Time

RTK-

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$$m_p = a + bD,$$

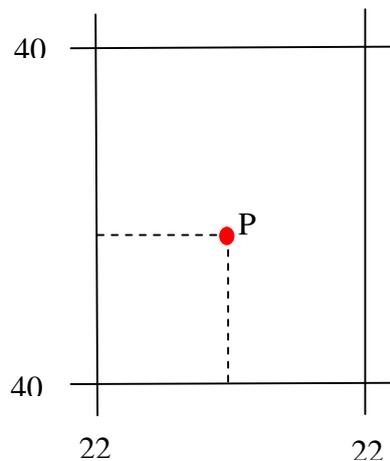
D –

a b



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	<i>a,</i>	<i>b, @</i>	<i>a,</i>	<i>b, @</i>
	5	1	10	2
	5...10	1	10	2
	10...20	1	10...20	2
	10...20	1	20...30	2
-	5...10	1	10...20	2



$$X_p = 4050 + x$$

$$Y_p = 2269 + v$$

. 10.

1)

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–

2)

$$\begin{aligned} dX_1 &= X_{r_1} - X_1; & dY_1 &= Y_{r_1} - Y_1 \\ dX_2 &= X_{r_2} - X_2; & dY_2 &= Y_{r_2} - Y_2 \\ dX_3 &= X_{r_3} - X_3; & dY_3 &= Y_{r_3} - Y_3 \\ dX_4 &= X_{r_4} - X_4; & dY_4 &= Y_{r_4} - Y_4 \end{aligned}$$

$$m_x = \sqrt{\frac{\sum(dX_i)^2}{4}}$$

$$m_y = \sqrt{\frac{\sum(dY_i)^2}{4}}$$

$$m_p = \sqrt{\frac{\sum(dX_i)^2 + \sum(dY_i)^2}{4}}$$

9

(, ,)

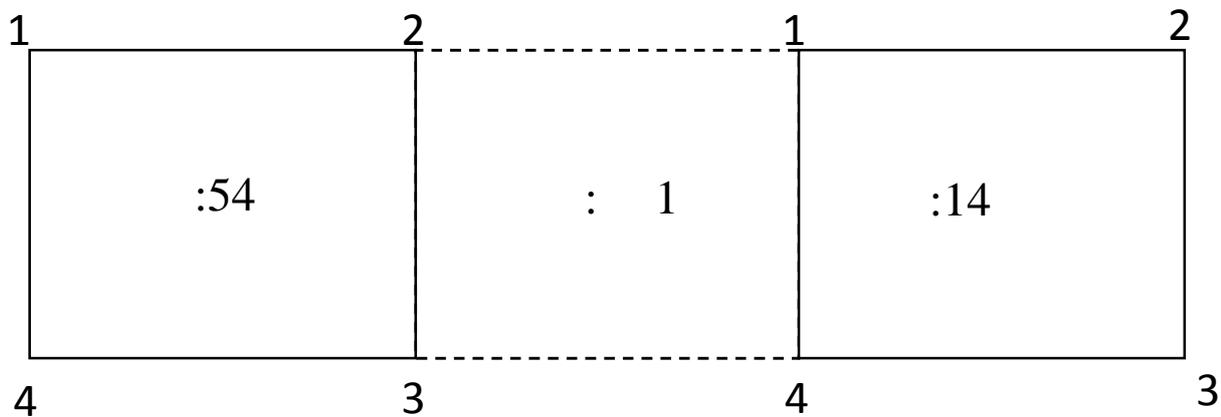
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